Math 7: Week of May 18th

Lesson 18: Percent of Change Lesson 19: Percent Applications

Targets:

Find the percent of increase or the percent of decrease between two numbers. Use percent of change to find new values.

Solve problems involving mark-ups, discounts, tips and taxes.

Directions:

- Go through the slides (notes) and work through the examples on a separate piece of paper.
- Complete the practice problems on a separate piece of paper.
- Check your answers with the key given at the end of the lesson. If you got
 any incorrect, use the right answer to problem solve and find the error.
- Check Google Classroom and/or your school email for the schedule of online help sessions.

Lesson 18

Vocabulary

- Percent of Change: The percent a quantity increases or decreases compared to the original amount.
- Percent of Increase: The percent of change when the new amount is *more* than the original amount.
- Percent of Decrease: The percent of change when the new amount is less than the original amount.

Percent of Change Equation

Percent of Change = $\frac{\text{amount of change}}{\text{original amount}}$

The amount of change is the absolute value of the difference between the new amount and the original amount.

Example 1

Find the percent of increase from 10 to 18.

- 1. Calculate the amount of increase. 18 10 = 8
- 2. Calculate the percent of increase.

$$\frac{\text{amount of increase}}{\text{original amount}} = \frac{8}{10} = 0.8 = 80\%$$

The percent of increase from 10 to 18 is 80%.

Example 2

Find the percent of decrease from 25 to 21.

- 1. Calculate the amount of decrease. 25-21=4
- 2. Calculate the percent of decrease.

$$\frac{\text{amount of decrease}}{\text{original amount}} = \frac{4}{25} = 0.16 = 16\%$$

The percent of decrease from 25 to 21 is $\underline{16\%}$.

Example 3

In 1999, Hernandez paid \$2,000 for a new laptop computer. In 2007, Hernandez paid 60% less for a laptop computer than he had in 1999. Find the amount he paid in 2007.

• Use the percent of change equation.

Percent of decrease = $\frac{\text{amount of decrease}}{\text{original amount}}$

Write the percent as a decimal.

 $0.6 = \frac{x}{2000}$

• Multiply both sides by 2,000.

1200 = x

- Hernandez paid \$1,200 less in 2007 than in 1999.
- Subtract 1200 from the value in 1999.

2000 - 1200 = 800

Hernandez paid §800 for a laptop computer in 2007.

Practice~ Lesson 18: Percent of Change

Use a separate piece of paper:

Identify the percent of change as an increase or a decrease. Find the percent of change. Round percents to the nearest tenth if necessary.

1. 20 to 25

2. 45 to 60

3. 15 to 9

4. 72 to 36

5. 15 to 18

6. 24 to 18

7. 100 to 70

8. 5 to 12

9. 10 to 14

Practice~ Lesson 18: Percent of Change

Use a separate piece of paper:

Find the percent of change. Round percents to the nearest tenth if necessary.

- **10.** Charlie started his candy sale with 48 candy bars. Now he has 32 candy bars. Find the percent decrease.
- **11.** Makaela had 200 baseball cards last month. This month she has 210. Find the percent of increase.
- **12.** Last year there were 120 students in choir. This year, 30% more students took choir. How many students are taking choir this year?

Lesson 19~

Vocabulary

- Mark-up: The increase in the price of an item.
- Discount: The decrease in the price of an item.
- Sales Tax: An amount added to the cost of an item. The amount added is a percent of the original amount as determined by a state, county or city.

Example 1

A pawn shop owner buys a ring for \$75 and sells it at an 80% mark-up. Find how much the ring sold for.

$$\frac{80}{100} = \frac{x}{75}$$
 $\rightarrow 100x = 6000 \rightarrow x = 60$

→ Method 2: Percent Equation

$$x = 80\% \cdot 75$$
$$x = 0.8 \cdot 75$$

$$x = 60$$

→ Method 3: Percent of Increase

$$0.8 = \frac{x}{75} \rightarrow x = 60$$

The markup is \$60. The total price is 60 + 75 = \$135.

Example 2

Sesily found an outfit that is 20% off the original price of \$68. Find the discounted price of the outfit.

$$\frac{20}{100} = \frac{x}{68} \longrightarrow 100x = 1360 \longrightarrow x = 13.6$$

→ Method 2: Percent Equation

$$x = 20\% \cdot 68$$

$$x = 0.2.68$$

 $x = 13.6$

→ Method 3: Percent of Increase

$$0.2 = \frac{x}{68} \rightarrow x = 13.6$$

The discount is \$13.60. The sale price is 68 - 13.60 = \$54.40.

Example 3

Leah bought a new stereo in Seattle, Washington for \$250. Find the actual amount she paid at the checkout if she was charged the state sales tax of 6.5%.

1. Find 6.5% of \$250.

2. Use the percent equation.

$$x = 0.065 \cdot 250$$

$$x = 16.25$$

3. Add the tax to the total.

$$16.25 + 250 = $266.25$$

Leah would pay \$266.25 for the stereo.

Practice~ Lesson 19: Percent Applications

Use a separate piece of paper:

Find the value of each markup or discount.

1. original: \$40.00 percent of markup: 8%

2. original: \$20.00 percent of discount: 40%

3. original: \$25.00 percent of discount: 10%

4. original: \$45.00 percent of markup: 20%

Find each selling price.

5. original: \$15.00 percent of markup: 15%

6. original: \$80.00 percent of markup: 25%

7. original: \$100.00 percent of discount: 62%

8. original: \$32.00 percent of discount: 50%

Use a separate piece of paper:

Jakin leaves a 15% tip each time he goes out to eat. Jakin's last two bills are shown below. What was the total amount he spent on each trip including tip?

9. \$48.00

10. \$32.40

11. Kim bought a hat in California. The hat cost \$15 before the 8% sales tax was applied. How much did Kim pay for the hat after taxes were added?

Practice Answers:

Check your work! Answers Provided Here! If you're stuck, ASKI Help sessions are I provided each week, Check Google Classroom for dates and times.	07:8; 11 97:25; 01 97:25; 01 97:25; 03 97:25;	L increase; 25% L decrease; 324, % L decrease; 10% L decrease; 10% L decrease; 10% L decrease; 10% L increase;
i i	Worksheet 19	Worksheet 18

FINAL SLIDE FOR MATH 7!